

Name of the Student: \_\_\_\_\_

Max. Marks : 23 Marks

Time : 23 Minutes

Mark Schemes

**Q1.**

- (a) (i) Appreciates  $pV$  should be constant for isothermal change (by working or statement)  $W = p\Delta V$  is TO

*Allow only products seen where are approximately 150 for 1 mark*  
*Penalise J as unit here*

M1

Demonstrates  $pV = \text{constant}$  using 2 points (on the line) set equal to each other or conclusion made or **shows** that for  $V$  doubling that  $p$  halves (worth 2 marks)  
*need to see values for  $p$  and  $V$*

*Products should equal 150 to 2 sf*  
*Accept statement that products are slightly different so not quite isothermal*

A1

Demonstrates  $pV = \text{constant}$  using 3 points (on the line) with conclusion

*Need to see values for  $p$  and  $V$*

*Products should equal 150 to 2 sf*  
*Accept statement that products are slightly different so not quite isothermal*

A1  
3

- (ii) Adiabatic therefore no heat transfer **or**  
Adiabatic therefore  $Q = 0$

B1

Work is done by gas therefore  $W$  is negative **or**  
Work is done by gas therefore energy is removed from the system

B1

$\Delta U$  is negative therefore internal energy of gas decreases **or**  
energy is removed from the system therefore internal energy of gas decreases or work done by the gas so internal energy decreases

Allow

$$-\Delta U = -W \text{ or } \Delta U = -W$$

B1  
3

- (iii) Uses  $pV/T = \text{constant}$  or uses  $pV = nRT$  or uses  $pV = NkT$   
e.g. makes  $T$  subject or substitutes into an equation with  $p_A$  and

$$V_A \text{ or } p_C \text{ and } V_C \text{ (condone use of } n = 1) \text{ or their } \frac{(pV)_A}{(pV)_C}$$

$V_A$  read off range

$$= 2.5 \text{ to } 2.6 (\times 10^{-4})$$

$$p_A = 600 \times 10^3$$

$V_C$  read off range

$$= 8.5 \text{ to } 8.6 (\times 10^{-4})$$

$$p_C = 140 \times 10^3$$

C1

Correct substitution of coordinates (inside range) into  $\frac{(pV)_A}{(pV)_C}$   
With consistent use of powers of 10

$(pV)_A$  range is 150 to 156 and  $(pV)_C$  range is 119 to 120.4

C1

1.2(5) Allow range from 1.2 to 1.3

Accept decimal fraction : 1

A1  
3

- (b) Energy per large square = 10(J) **or** states that work done is equal to area under curve (between A and B)  
**or** energy per small square = 0.4(J)  
**or** square counting seen on correct area

*Must be clear that area represents energy either by subject of formula or use of units on 10 or 0.4*

*Alternative:*

$W = \text{area of a trapezium}$   
(with working)

$$\text{or } W = P_{\text{mean}} \times \Delta V \text{ or}$$

$$W = 450 \times 10^3 \times 2.5 \times 10^{-4}$$

**or**  $W = \text{area of a rectangle} + \text{area of a triangle}$  (with working)

B1

Number of large squares = 10.5 to 11.5 seen and ( $W$ ) = number of squares  $\times$  area of one square (using numbers)

Range = 105 to 115 (J)

Or

Number of small squares = 263 to 287 seen and ( $W$ ) = number of squares  $\times$  area of one square (using numbers)

Range = 105 to 115 (J)

*States that actual work done would be lower because of curvature of line*

B1  
2

- (c) (Total energy removed per s =) 4560 (J)  
**or** number of cycles per s = 40  
**or** (Mass per second =)  $114 \div 68400$  in rearranged form  
**or** their energy  $\div (c \Delta T)$  **or** their energy  $\div 68400$

C1

0.067 (kg) seen Allow 0.066 (kg) here

**or** allow  $V / t = 1.67 \times 10^{-3} \div 1100$

**or**  $\left(\frac{V}{t}\right) = \frac{E}{\rho c \Delta \theta}$  and correct **substitution** seen

Condense  $E = 114$  (J) **or** temperature = 291(K)

C1

=  $0.061 \times 10^{-3}$  or  $6.06 \times 10^{-5}$  ( $\text{m}^3$ )

A1  
3

[14]

## Q2.

- (a) (i) Clear statement that for isothermal  $pV = \text{constant}$  or  $p_1 V_1 = p_2 V_2$  ✓  
 Applies this to any 2 points on the curve AB ✓  
 e.g.  $1.0 \times 10^5 \times 1.2 \times 10^{-3} = 4.8 \times 10^5 \times 0.25 \times 10^{-3}$   
 $120 = 120$   
*Allow  $pV = c$  applied to intermediate points **estimated** from graph e.g.*  
 $V = 0.39 \times 10^{-3}$ ,  $p = 3 \times 10^5$

2

- (ii)  $W = p \Delta v$   
 $= 4.8 \times 10^5 \times (0.39 - 0.25) \times 10^{-3}$   
 $= 67 \text{ J}$  ✓

1

(b)

	Q / J	W / J	$\Delta U$ / J	
process A $\rightarrow$ B	-188	-188	0	✓
process B $\rightarrow$ C	+235	(+)67	(+)168	✓
process C $\rightarrow$ A	0	+168	-168	✓

whole cycle	+47	+47	0	✓
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*Any horiz line correct up to max 3  
Give CE in  $B \rightarrow C$  if ans to ii used for W  
If no sign take as +ve*

max 3

(c)  $\eta_{\text{overall}} = 47 / 235 = 0.20$  or 20% ✓

1

(d) Isothermal process would require engine to run very slowly / be made of material of high heat conductivity ✓

Adiabatic process has to occur very rapidly / require perfectly insulating container / has no heat transfer ✓

Very difficult to meet both requirements in the same device ✓

Very difficult to arrange for heating to stop exactly in the right place (C) so that at end of expansion the curve meets the isothermal at A ✓

*Do not credit bald statement to effect*

*adiabatic / isothermal process not possible - must give reason*

*Ignore mention of valves opening / closing, rounded corners, friction, induction / exhaust strokes*

*wtte*

max 2

[9]