

Name of the Student: \_\_\_\_\_

Max. Marks : 19 Marks

Time : 19 Minutes

Mark Schemes

### Q1.

- (a) attempt to apply principle of moments either about pivot or (LH) end of ruler  $_1✓$

mass = 127(.04) (g)  $_2✓$

assumption is that ruler is uniform / mass evenly distributed **OR**

weight acts at the centre/mid-point/middle **OR**

centre of mass / gravity is at the centre/mid-point/middle  $_3✓$

*for  $_1✓$  for evidence of moments taken expect clockwise and anticlockwise moment;*

*for moment about pivot expect to see either 29 or 49; for use of LH end of ruler expect 30 or 50*

*don't insist on seeing masses in kg, distances in m or the inclusion of 9.81 or g in the working; condone g seen on one side only*

*rounding to 127 g earns  $_1✓$  and  $_2✓$*

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- (b) force on wire is upwards **OR**  $\uparrow$   $_1✓$

current is from P to Q **OR** rightwards **OR** (left) to (the) right **OR**  $\rightarrow$   $_2✓$

states direction of force and direction of current (or  $_3✓ = 0$ ) and makes a suitably justified deduction, eg

using left-hand rule **OR** LH rule

**AND**

B is into the page **OR** into plane of **Figure 3** **OR**  $\otimes$   $_3✓$

*for  $_1✓$  condone 'motion is upwards'*

*for  $_2✓$  'towards Q' **OR** 'positive to negative' are not enough*

*allow logically correct (using LH rule)  $_3✓$  for either downwards force with correct current **AND/OR** upwards force with wrong current*

*increased flux density below wire is acceptable alternative to LH rule*

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- (c) gradient calculated from  $\Delta M$  divided by  $\Delta I$ , condone read off errors of  $\pm 1$  division; minimum  $I$  step  $\geq 2.0$  A  $_1✓$

evidence of  $g = 9.81$  or  $9.8$  correctly used in working for  $\sigma$  or  $B$   $_2✓$

$|B|$  in range  $1.76 \times 10^{-2}$  to  $1.87 \times 10^{-2}$  or  $1.8 \times 10^{-2}$  (T)  $_3✓$

for  $_1✓$  expect  $(-0.28 \text{ (g A}^{-1}\text{)})$ ; do not penalise for missing – sign

for  $_2✓$  look for  $\sigma = \text{their gradient} \times 9.81 (\times 10^{-3} \text{ N})$

$$B = \frac{\text{their gradient} \times 9.81 (\times 10^{-3})}{15 (\times 10^{-3})}$$

OR  
errors

for  $_3✓$  CAO by correct method only; ignore – sign if provided; no limit on maximum sf

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(d)

	Reduced	No effect	Increased
Force acting on wire		$_1✓$	
Force acting on prism	$_2✓$		
Gradient of graph	$_3✓$		
Vertical intercept	$_4✓$		

$_1✓ = 1 \text{ mark}$

$_2✓ = 1 \text{ mark}$

$_3✓$  and  $_4✓ = 1 \text{ mark}$

allow any distinguishing mark as long as only one per row

for  $✓$  and  $✗$  in same row ignore  $✗$

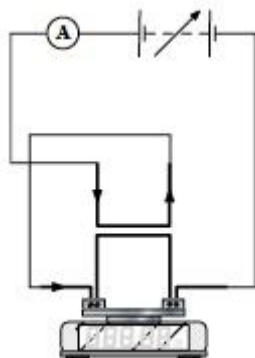
for  $✓$  and  $✓$  in same row give no mark

ignore any crossed-out response unless only distinguishing mark on row

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(e) any complete circuit connecting the power supply in **Figure 6** to **X** and to **Y** that produces currents in **X** and in **Y** that travel left to right  $_1✓$

wiring correct so that **X** and **Y** are in series (see below)  $_2✓$



allow parallel circuit for  $_1✓$  but reject use of additional power supply

if **X** and/or **Y** is/are short-circuited award no marks;

for impractical circuits eg voltmeter added in series, award no marks

ignore any current arrows added to diagram

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(f) strategy:

states that readings of  $M$  (as the dependent variable) will be measured for different values of independent variable,  $I$  or  $d$  only  $_1✓$

clearly identifies the correct control variable,  $d$  or  $I$  only;

condone  $\frac{d}{L} = \text{constant}$  if  $I$  varied **OR**  $I^2L$  OR  $IL = \text{constant}$  if  $d$  varied;

it must be clear how the value of the control variable is known  $_2✓$

states that  $L$  will be measured or gives value eg  $L = 5.0 \text{ cm}$   $_3✓$

use of  $g$  to convert  $M$  reading to  $F$ ; evidence may be found in expression for  $k$   $_4✓$

for  $_1✓$  condone  $F$  identified as the dependent variable or as the balance reading;

reject 'measure change in mass / change in  $F$ '

failure to make  $M$  or  $F$  the dependent variable cannot score  $_1✓$  or  $_2✓$

for  $_2✓$  if  $d$  is being varied and  $I = 5.0 \text{ A}$  is stated, this can be taken to mean  $I$  is the control variable and the value is known

for  $_1✓$  and for  $_3✓$  insist that  $M$  and  $L$  are being read **OR** measured **OR** recorded

for  $_4✓$  'work out force' is not enough; reject 'acceleration' for  $g$

MAX 3

analysis:

suggests a plot with  $M$  or  $F$  [by itself or combined with another factor] on the vertical axis and some valid manipulation of their independent variable on the horizontal axis  $_5✓$

identifies correctly how  $k$  can be found using the gradient of their graph;  $k$  must be the subject of the expression given  $_6✓$  **OR**

if suggesting a plot with  $\log M$  or  $\log F$  on the vertical axis etc identifying correctly how  $k$  can be found from the graph intercept  $_6✓$

**OR**

suggesting a plot with  $M$  or  $F$  on the vertical axis etc and identifying correctly how  $k$  is found using the area under the line  $_{56}✓ = 1 \text{ MAX}$

the intention to plot  $M$  against  $I^2$  is taken to mean that  $M$  is the dependent variable and is plotted on the vertical axis

examples: plot  $M$  against  $I^2$  will earn  $_5✓$

and then  $k = \frac{g \times d \times \text{gradient}}{L}$  will earn  $_6✓$

or plot  $F$  against  $\frac{1}{d}$  will earn  $_5✓$  and then

$k = \frac{\text{gradient}}{I^2 \times L}$  will earn  $_6✓$  (note that when  $F$  is the dependent variable  $g$  will not appear in the expression for  $k$ )

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