

Name of the Student: \_\_\_\_\_

Max. Marks : 20 Marks

Time : 20 Minutes

Mark Schemes

**Q 1.**

- (a) 6.75 ✓

CAO

1

- (b) any sensible answer describing possible consequences of use of the thimble, e.g. can cause the wire to be distorted/damaged; or reduces the diameter. ✓

*Accept 'the frame of the micrometer might become warped' / 'damage might occur to the screw thread mechanism' / 'may lead to the reading shown being smaller than true value'*

*Condone 'squeezed'. Condone 'change diameter'.*

*Reject 'might change the reading', 'affect results', 'cause a reading below zero', 'could lead to systematic error', 'over-tighten' or 'holds wire more securely'.*

1

- (c) fully correct calculation
- <sub>1</sub>
- ✓
- <sub>2</sub>
- ✓

**OR**partly correct calculation <sub>12</sub>✓

$((2 \times 1.2\%) + 2.0\%) = 4.4\%$  <sub>1</sub>✓<sub>2</sub>✓

*For <sub>12</sub>✓ allow any of  $(2 \times 1.2\%)$  **OR** 2.4% **OR** 1.2% + 2.0% **OR** 3.2% **OR** 1.44% + 2.0% **OR** 3.4% seen in working.*

*For 1 mark condone misreading leading to  $(2 \times 2.0\%) + 1.2\% = 5.2\%$  **OR** '4% + 1.2% = 5.2%'.*

2

- (d) length of wire between oscillator and pulley
- <sub>1</sub>
- ✓

mass of **M** <sub>2</sub>✓

*For <sub>1</sub>✓ allow 'distance between oscillator and pulley' or 'length of horizontal/oscillating wire' or use of annotation to Figure 2 to identify correct dimension with a symbol, eg L.*

*For <sub>1</sub>✓ 'length of wire' is insufficient.*

*For <sub>2</sub>✓ allow 'weight of **M**' or 'suspended mass'.*

*For <sub>2</sub>✓ accept 'tension in wire'.*

*Reject bland '**M**' or 'the mass' or 'tension'.*

*Treat 'mass per unit length of wire' as neutral.*

2

- (e) calculates  $d \times f$  at least twice  $_1✓$

states how their calculations support a conclusion that  $f$  is inversely proportional to  $d$   $_2✓$

$d / \text{mm}$	$f / \text{Hz}$	$(d \times f) / \text{mm s}^{-1}$
0.85	28.5	24.2 (24.23)
0.68	36.0	24.5 (24.48)
0.54	44.5	24.0 (24.03)
0.44	55.5	24.4 (24.42)
0.37	65.0	24.1 (24.05)

Allow reverse working or use of readings from a line of best-fit.

For  $_1✓$  condone misreading of scale of one axis, or one misreading.

For  $_2✓$  apply list principle to calculations i.e. for 2 or 3 calculations, all must be correct; for 4 calculations, condone 1 error; for 5 calculations, condone 2 errors.

Do not allow 1 sf for constant of proportionality.

2

- (f)  $f$  values increase  $_1✓$

by  $\sqrt{2}$   $_2✓$

For  $_1✓$  allow (all) points / line / graph move(s) up.

Must not imply  $d$  changes **OR** points / line moves right **OR** that  $\mu$  changes.

Treat 'graph is stretched upwards / in the  $y$ -direction' as neutral.

2

[10]

## Q 2.

- (a) identifies appropriate equipment and makes a relevant comment about how it is used  $✓$

Use of plumb line (accept 'mass / weight on string')

**OR**

use of a metre ruler made vertical with a set-square in contact with the floor

**OR**

using a (long) spirit level.

Comments that the string of the plumb line / edge of metre ruler / edge of spirit level should be in contact with the projecting end of the track.

Give credit for suitable annotation to Figure 4

1

- (b) rejects anomalous mark (at 607)  $_1✓$

calculates mean from readings of marks  $_2✓$

For  $_2✓$  expect to see readings of 581, 583, 583, 586, 588 (and 607) for centres of circles. Allow readings from left edge or from right edge, but

not a mix. Reject readings given to a precision greater than 0.5 mm.

Allow an arithmetic error. Expect to see  $\frac{2921}{5}$  or  $\frac{3528}{6}$ .

584 (mm)  $_3✓$

For  $_3✓$  allow 588 (mm)

For  $_3✓$  3 sf answer only.

3

(c) ruled best-fit line passing below 3<sup>rd</sup> plot and above 2<sup>nd</sup> and 4<sup>th</sup> plots  $_1✓$

finds gradient and multiplies by  $\frac{7}{20}$   $_2✓$

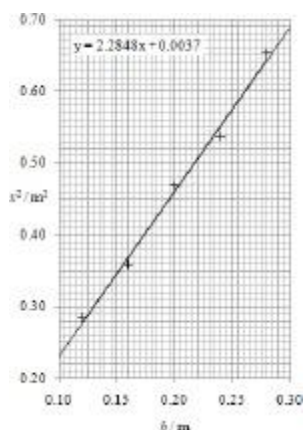
H in result in range 0.78 to 0.83  $_3✓$

Withhold  $_1✓$  if line is poorly marked.

For  $_2✓$  condone one read-off error. Gradient from  $h$  step  $\geq 0.10$  m.

Expect gradient in range 2.20 - 2.37. Allow any appropriate use of  $\frac{7}{20}$ .

$h / \text{m}$	$x^2 / \text{m}^2$
0.12	0.285
0.16	0.360
0.20	0.470
0.24	0.535
0.28	0.655



For  $_3✓$  2 sf only.

Allow  $_1✓_2 \times _3✓ = 2$  MAX for H in range obtained using co-ordinates of a point on the line.

Allow  $_1 \times _2 \times _3✓ = 1$  MAX for H in range obtained using a plotted point if no best-fit line is drawn.

3

(d) idea that absolute uncertainty is the same but value of  $t$  is larger  $✓$

Allow sample calculation or reference to equation.

Condone 'uncertainty' for 'absolute uncertainty'.

1

(e) draw a best-fit curve/line and read-off ( $\alpha$ ) where value of  $t$  is a minimum  $_1✓$

For  $_1✓$  'draw a line' is not enough.

Accept read off at 'bottom of curve' / 'where the gradient is zero' / 'at the turning point'.

Annotations to Figure 8 can earn MP1; any line of best-fit drawn does not need to be neat.

take more readings around  $\alpha$  when  $t$  has minimum value, or words to that effect (owtte) <sub>2</sub>✓

*For <sub>2</sub>✓ reject bland 'repeat readings'.*

2

[10]